



COURSE PROGRAMME

1. Information about the programme

| | |
|--------------------------------------|---|
| 1.1 University | University "Alexandru Ioan Cuza" of Iasi |
| 1.2 Faculty | Faculty of Computer Science |
| 1.3 Department | Department of Computer Science |
| 1.4 Domain | Computer Science |
| 1.5 Cycle | Licence |
| 1.6 Programme / Qualification | Computer Science (in English) |

2. Information about the course

| | | | | | | | |
|--|--|---------------------|----|--------------------------------|---|--------------------------|----|
| 2.1 Course Name | Probabilities and Statistics | | | | | | |
| 2.2 Course taught by | Lecturer PhD. EMANUEL FLORENTIN OLARIU | | | | | | |
| 2.3 Seminary / laboratory taught by | Assoc. Prof. PhD. ADRIAN ZALINESCU/ Lecturer PhD. EMANUEL FLORENTIN OLARIU | | | | | | |
| 2.4 Year | I | 2.5 Semester | II | 2.6 Type of evaluation* | V | 2.7 Course type** | Ob |

*E – Exam / C – Colloquium / V – Verification

**OB – Obligatory / OP – Optionally / F – Facultative

3. Total hours (estimated per semester and activities)

| | | | | | |
|--|----|-------------------|----|--------------------------------|-------|
| 3.1 Number of hours per week | 4 | 3.2 course | 2 | 3.3 seminary/laboratory | 2 |
| 3.4 Total number of hours | 56 | 3.5 course | 28 | 3.6 seminary/laboratory | 28 |
| Distribution | | | | | hours |
| Individual study using textbooks, course notes, bibliography items, etc. | | | | | 35 |
| Supplementary study (library, on-line platforms, etc.) | | | | | 10 |
| Individual study for seminary/laboratory, homeworks, projects, etc. | | | | | 20 |
| Tutoring | | | | | 0 |
| Examination | | | | | 4 |
| Other activities | | | | | 0 |
| 3.7 Total hours of individual activity* | | | | | 69 |
| 3.8 Total hours per semester | | | | | 125 |
| 3.9 Credit points | | | | | 5 |

4. Pre-requisites - Curriculum (if necessary)

Mathematical analysis.

5. Conditions (if necessary)

5.1 Course

5.2 Seminary / Laboratory

6. Objectives

Taming of elementary and medium-advanced concepts from probability theory and descriptive/inferential statistics.

7. Specific competencies/Learning outcomes

- Studentul/absolventul alege, explică și specifică fundamentele matematice aplicate în informatică, inclusiv logica formală, algebra, probabilitățile și statisticile.
- Studentul/absolventul aplică, evaluează, propune metodele matematice pentru modelarea, simularea și rezolvarea problemelor informatice.
- Studentul/absolventul dezvoltă soluții interdisciplinare prin integrarea matematicii cu domenii conexe și colaborarea eficientă cu echipe de specialitate.

8. Contents

| 8.1 Course | Teaching methods | Remarks (number of hours, references) |
|---|-------------------------|--|
| Random experiment, random event, probability function. | Exposition. | 2, [1], [4], [8] |
| Conditional probability, independence. Probabilistic formulas. | Exposition. | 2, [1], [4], [8] |
| Probabilistic formulas. Probabilistic schemes. | Exposition. | 2, [1], [4], [8] |
| Random variable. Characteristics. Remarkable discrete distributions. | Exposition. | 2, [1], [4], [8] |
| Other discrete distributions. Joint discrete distributions. Independent random variables. | Exposition. | 2, [1], [4], [8] |
| Random variables inequalities. Continuous random variables. Fundamental laws. | Exposition. | 2, [1], [4], [8] |
| Fundamental laws. Computer simulation, Applications. | Exposition. | 2, [4], [5], [9] |
| Computer simulation. Monte Carlo methods. | Exposition. | 2, [1], [5] |
| Random algorithms. Probabilistic method. | Exposition. | 2, [1], [3], [6], [10] |
| Descriptive statistics. Central tendency, variability, histograms. | Exposition. | 2, [2],[9] |
| Inferential statistics. Confidence intervals. Significance tests. Inference on proportions. | Exposition. | 2, [2],[9] |
| Inferential statistics. Z, T, Chi-square, and F tests. | Exposition. | 2, [2],[9] |
| Inferential statistics. Correlation and regression. Randomness tests. | Exposition. | 2, [2],[9] |

Bibliography

- [1] Bertsekas, D. P., J. N. Tsitsiklis, Introduction to Probability, Athena Scientific, 2002.
- [2] Freedman D.,Pisani R. , Purves R.,Statistics, W.W.Norton&Company, 4th edition, 2007.
- [3] Motwani, R., P. Raghavan: Randomized Algorithms, Cambridge University Press, 2005.
- [4] Ross, S. M., A First Course in Probability , Prentice Hall, 5th edition, 1998.
- [5] Baron, M.: Probability and Statistics for Computer Science, Chapman&Hall/CRC Press, 2013.

- [6] Alon, N., J. H. Spencer, The probabilistic method, Wiley, 2008
 [7] P. Dalgaard, Introductory Statistics with R, Springer Verlag, 2nd edition, 2008.
 [8] Gordon, H., Discrete Probability, Springer Verlag, New York, 1997.
 [9] Johnson, R. : Elementary Statistics, PWS Publishers - Duxbury Press, Boston, 1991
 [10] Mitzenmacher, M., E. Upfal: Probability and Computing: Randomized Algorithms and Probabilistic Analysis, Cambridge University Press, 1995.

| 8.2 Seminary / Laboratory | Teaching methods | Remarks (number of hours, references) |
|--|--|---|
| Random experiment, random events, probability function: axioms and properties. | Course memento, exercise examples and exercises solving. | 2, [4], [8] |
| Computing conditional probability. Independent events. Total probability formula. Bayes formula. | Course memento, exercise examples and exercises solving. | 2, [4], [8] |
| Total probability formula - conditional variant. Multiplication formula. Probabilistic schemes (hypergeometric, binomial, geometric). | Course memento, exercise examples and exercises solving. | 2, [4], [8] |
| Random variables (distribution, expectation, variance) Remarkable discrete distributions (uniform, Bernoulli, binomial, geometric, Poisson). | Course memento, exercise examples and exercises solving. | 2, [1], [4], [8] |
| Other remarkable discrete distributions (negative binomial, hypergeometric, Zipf). Joint distributions. Covariance. Random variables independence. | Course memento, exercise examples and exercises solving. | 2, [1], [4], [8] |
| Markov, Chebyshev, and Chernoff inequalities. Continuous random variables. Distribution and density functions. | Course memento, exercise examples and exercises solving. | 2, [1], [4] |
| Computer simulation. Applications to the Central Limit Theorem and the Law of Large Numbers. | Course memento, exercise examples and exercises solving. | 2, [5], [7] |
| Monte Carlo methods: expectation estimation, length, area, and volume estimation, MC integration, and probability estimation. | Course memento, exercise examples and exercises solving. | 2, [5], [7] |
| Las Vegas and Monte Carlo algorithms. | Course memento, exercise examples and exercises solving. | 2, [3], [7], [10] |
| Descriptive statistics: graphical representations, central tendency measures, variability and outliers. | Course memento, exercise examples and exercises solving. | 2, [2], [7] |
| Inferential statistics. Confidence intervals. Proportion test. | Course memento, exercise examples and exercises solving. | 2, [2], [7] |
| Inferential statistics: Z, T, Chi-square, and F tests. | Course memento, exercise examples and exercises solving. | 2, [2], [7] |
| Laboratory evaluation. | Evaluation. | |

Bibliography

- [1] Bertsekas, D. P., J. N. Tsitsiklis, Introduction to Probability, Athena Scientific, 2002.

- [2] Freedman D., Pisani R., Purves R., Statistics, W.W.Norton&Company, 4th edition, 2007.
 [3] Motwani, R., P. Raghavan: Randomized Algorithms, Cambridge University Press, 2005.
 [4] Ross, S. M., A First Course in Probability , Prentice Hall, 5th edition, 1998.
 [5] Baron, M.: Probability and Statistics for Computer Science, Chapman&Hall/CRC Press, 2013.
 [6] Alon, N., J. H. Spencer, The probabilistic method, Wiley, 2008
 [7] P. Dalgaard, Introductory Statistics with R, Springer Verlag, 2nd edition, 2008.
 [8] Gordon, H., Discrete Probability, Springer Verlag, New York, 1997.
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 [10] Mitzenmacher, M., E. Upfal: Probability and Computing: Randomized Algorithms and Probabilistic Analysis, Cambridge University Press, 1995.

9. Coordination of the contents with the expectations of the community representatives, professional associations and relevant employers in the corresponding domain

This course aims to accommodate the undergraduate students with the modern framework of discrete probability and applied statistics. The course acquisitions will be used throughout the undergraduate studies and beyond.

10. Assessment and examination

| | | | |
|-----------------------------------|---|-----------------------|--------------------|
| 10.1 Continuous assessment | | Percentage (min. 30%) | 100 |
| Course | Assessment type | | |
| | Percentage | | 0 |
| | Failure to pass the continuous assessment results in failure to pass the final assessment | | |
| | Assessment methods | | |
| | Details | Percentage | with reexamination |
| Seminary / Laboratory | Assessment type | | Mixed assessment |
| | Percentage | | 100 |
| | Failure to pass the continuous assessment results in failure to pass the final assessment | | Yes |
| | Assessment methods | | |
| | Details | Percentage | with reexamination |
| | Theoretical Test | 50 | No |
| Lab assignment | 17 | No | |
| Test | 17 | No | |
| Continuous practical assessment | 16 | No | |

10.2 Special notes (special situations is assessment)

10.3 Minimum performance standard

Correctly manipulate Probability Theory and Statistics related concepts and results. The ability to model problems using corresponding specific concepts.

Date, Course coordinator,
Lecturer PhD. EMANUEL

Seminary coordinator,
Assoc. Prof. PhD. ADRIAN ZALINESCU/ Lecturer PhD.

FLORENTIN OLARIU

EMANUEL FLORENTIN OLARIU

Aproval date in the department, Head of the departament,
Assoc. Prof. PhD. ANDREI ARUSOAIE